

# From GO To Draughts

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M2 MVA RL

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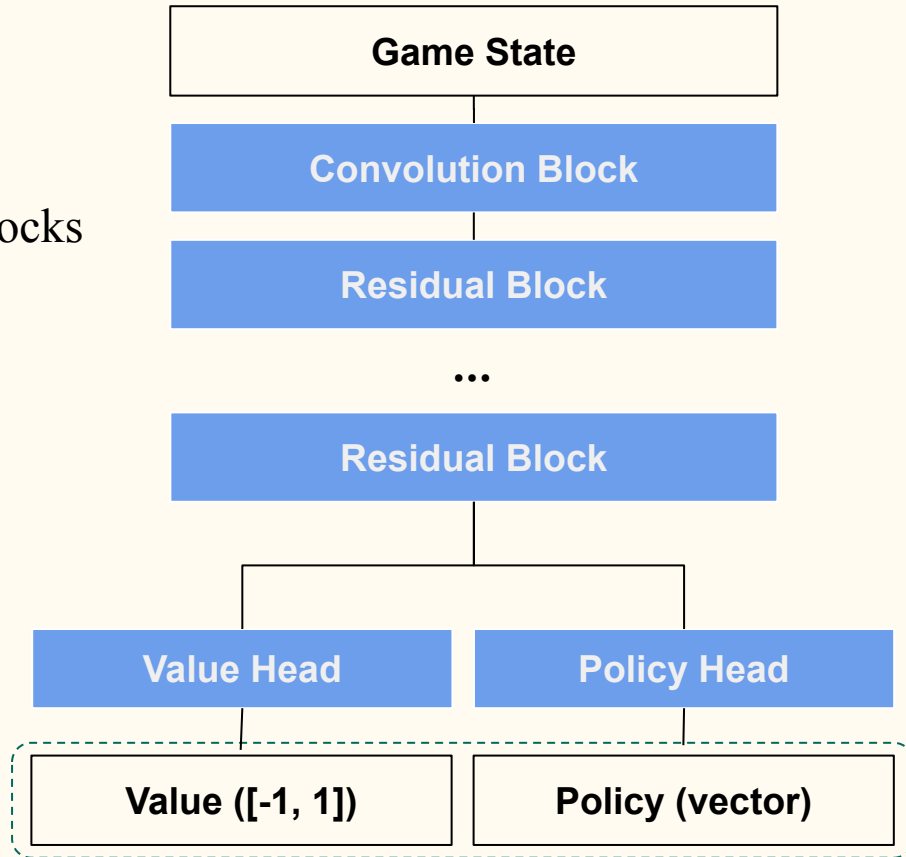
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# Algorithm Review



# ResNet-Based CNN

- Input: game state (8x3x3 tensor)
- 1 convolution block + several residual blocks
- Every block:
  - Convolution layers with 3x3 kernel
  - Batch normalization
  - Relu
- Value head
  - Convolution layers + fc layers
  - Outputs a scalar real value
- Policy head
  - Convolution layers + fc layers
  - Outputs a real-valued vector (8\*8\*4)



# MCTS

- **Node:**
  - State Node: contains all information of the current game state
  - Action Node: represent the action going from its parent state node to its child state node

## **State Node**

Parent (1 Action Node)  
Children (N Action Nodes)  
Game Map (np.array)  
Movable Pieces (np.array)  
Player (int)  
GameOver (bool)

## **Action Node**

Parent (1 State Node)  
Child (1 State Node)  
Action (tuple)  
Piece Coordinate (np.array)  
Stats (N, W, Q, P)

# MCTS

- **Basic Operations:**

- Selection: Choose the following action
  - Deterministic Strategy: choose the node whose  $N$  is largest
  - Probabilistic Strategy:  $\pi \sim N^{1/\tau}$
- Expansion: Initialize all possible moves with
  - $N = W = Q = 0$
  - $P = \text{prior}_{\text{CNN}}$
- Evaluation: A complete process going from the root to a GameOver State
- Backpropagation
  - $N = N + 1, W = W + v, Q = W / N$

# MCTS

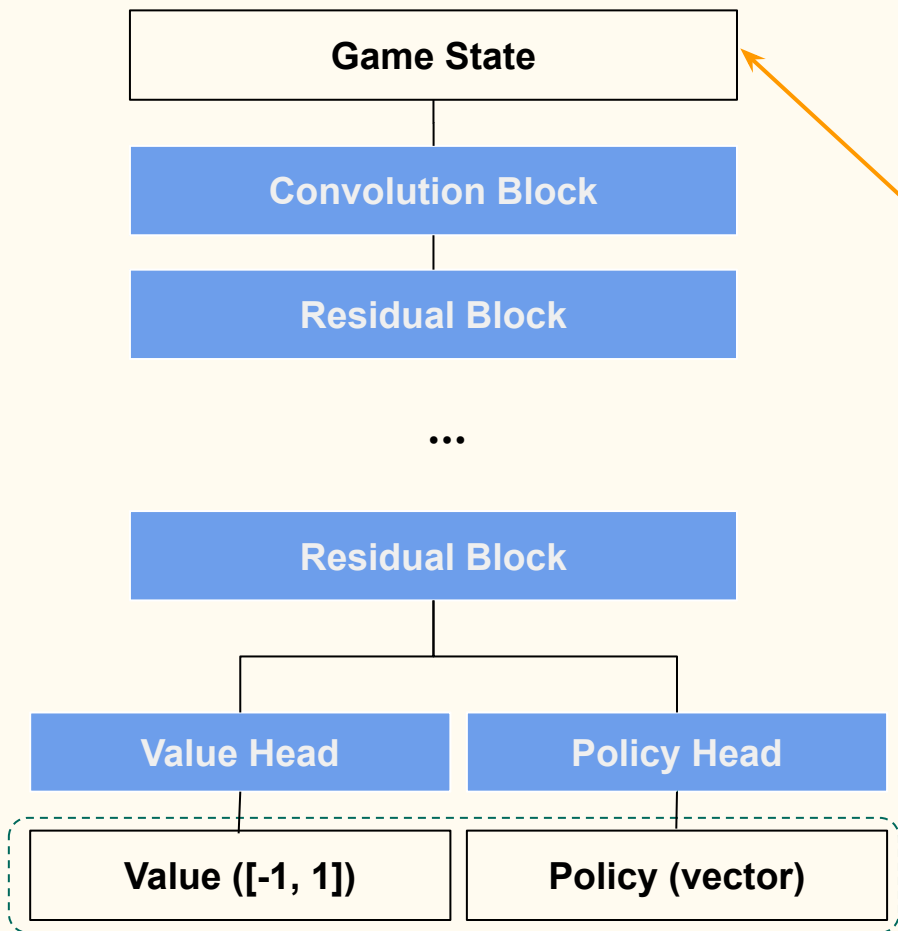
- **Simulation**

- Polynomial Upper Confidence Trees (PUCT)

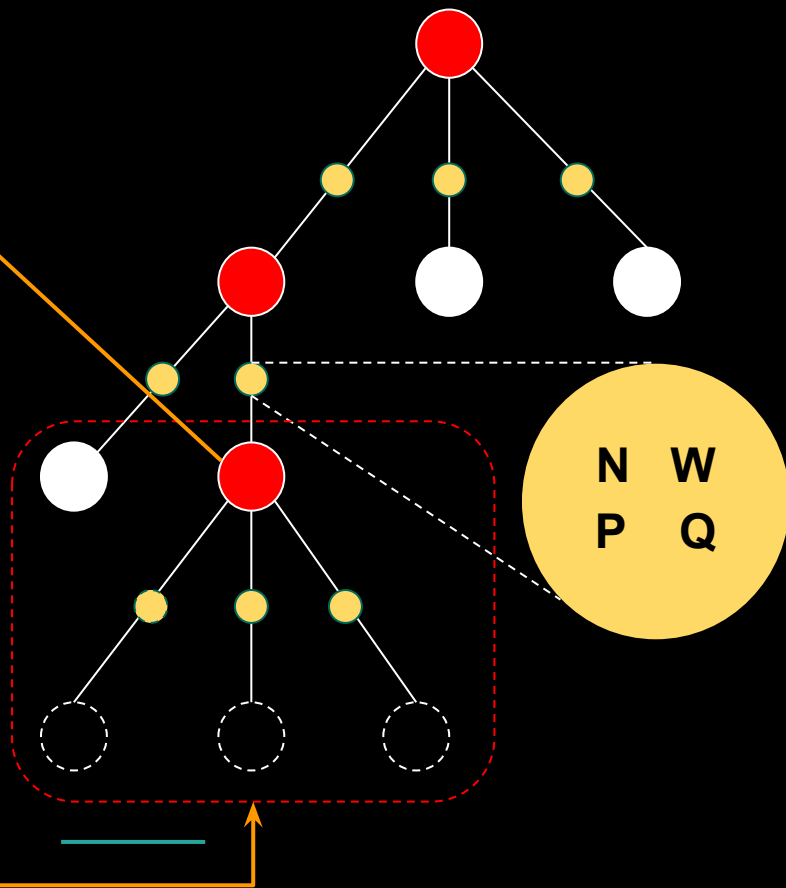
$$U = Q(s, a) + c_{puct} P(s, a) \frac{\sqrt{\sum_b N(s, b)}}{1 + N(s, a)}$$

- Exploration - Exploitation Strategy: Choose the child whose U is largest
  - Large  $c_{puct}$  : encourage exploration
  - Small  $c_{puct}$  : encourage exploitation

# ResNet



# MCTS





# Joint Training

Three components executed asynchronously in parallel

## Self-play:

- Creating dataset
- Using the best neural network so far

## Optimization of neural network:

- Training neural network
- Sampling batches from recent self-play games
- Cross-entropy : policy
- Mean squared error : value

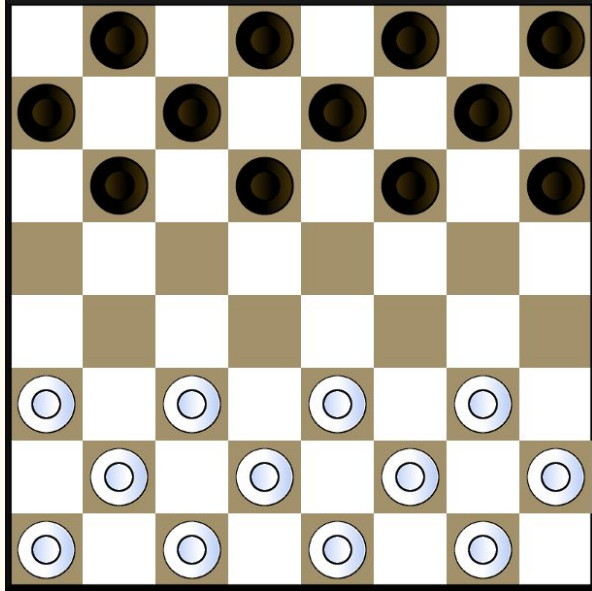
## Evaluator:

- Update the best neural network so far
- Update only if the new neural network is stronger according to results of competition

# Game Design

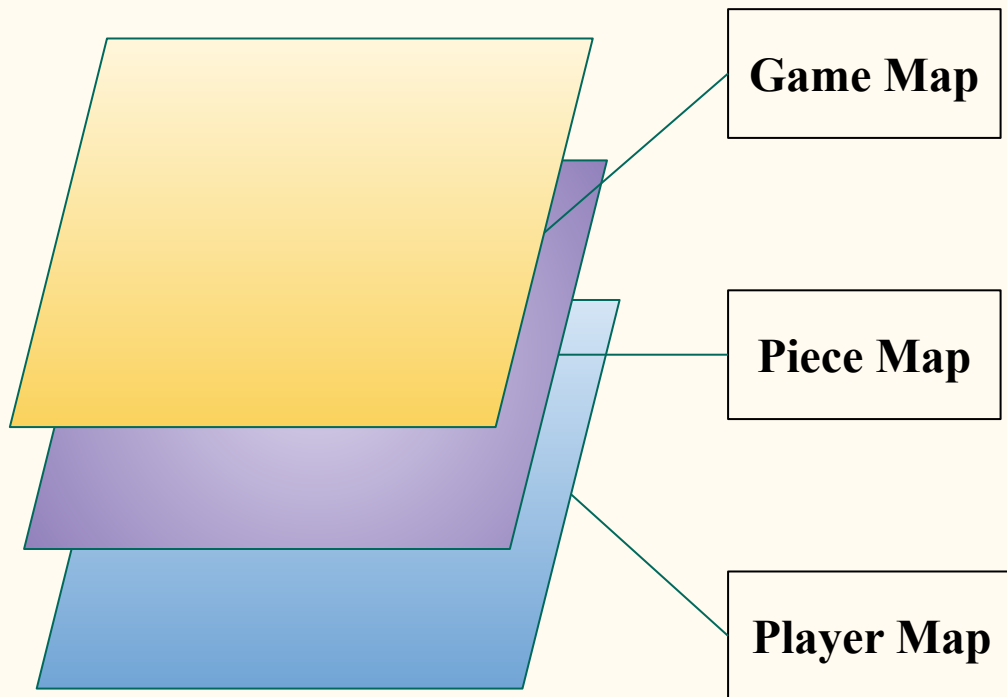


# Game Rule - English Draughts



- **Move:**
  - Single Move: Move forward diagonally to an unoccupied square
  - Jump: Eat an opponent's piece which lies on the adjacent square. Multiple jumps are possible and mandatory
- **King:**
  - Once the piece reaches opponent's border, it becomes a king and can move both forward and backward
- **Game Over:**
  - No piece left on the board
  - No possible moves

# Game State



**8 x 8 x 3**

**Game Map**

0 : No pieces  
1 : White piece  
-1 : Black piece

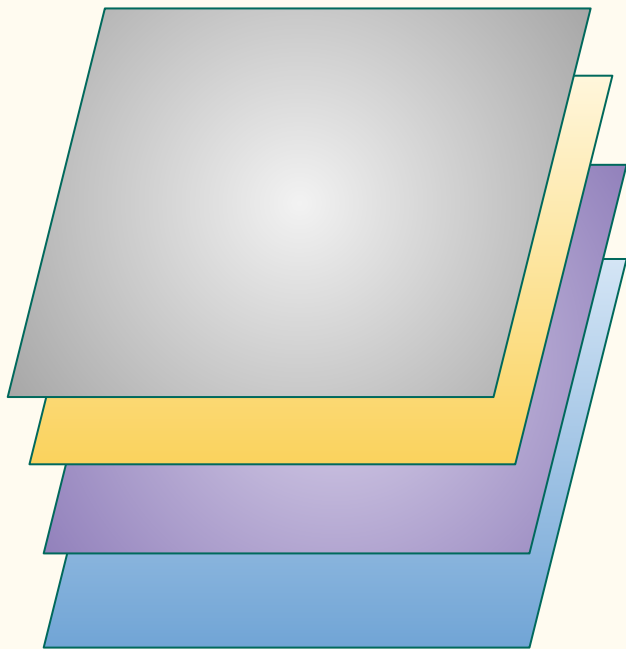
**Piece Map**

0 : No pieces / Unmovable pieces  
1 : Movable pieces

**Player Map**

All 1s if white  
All -1s if black

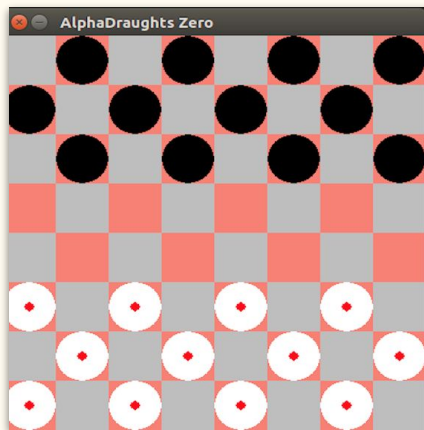
# Game Policy



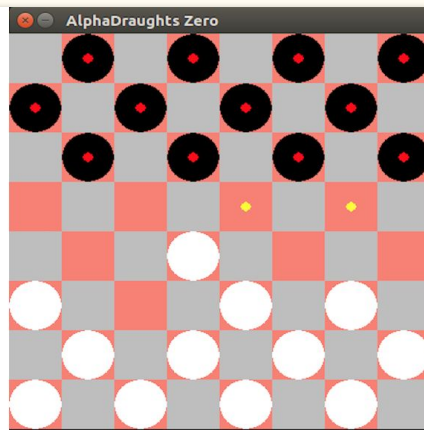
**8 x 8 x 4**

- The entries are all between 0 and 1, which represents the probability the piece choose the direction {NorthWest, NorthEast, Southwest, SouthEast}.
- The MCTS filters all moves and keeps only legal moves.

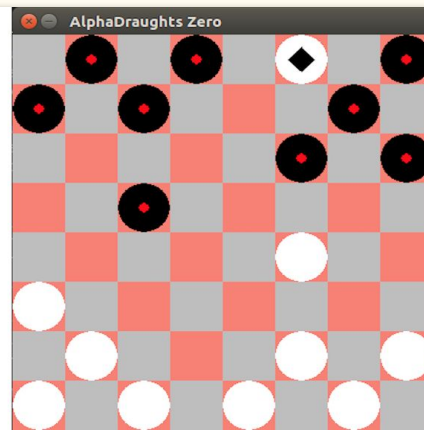
# Graphical User Interface (GUI)



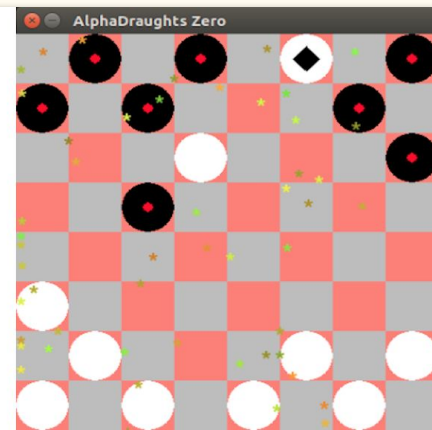
**(a) Game Board**



**(b) Possible Moves**



**(c) King**



**(d) Animation**

# Experiment

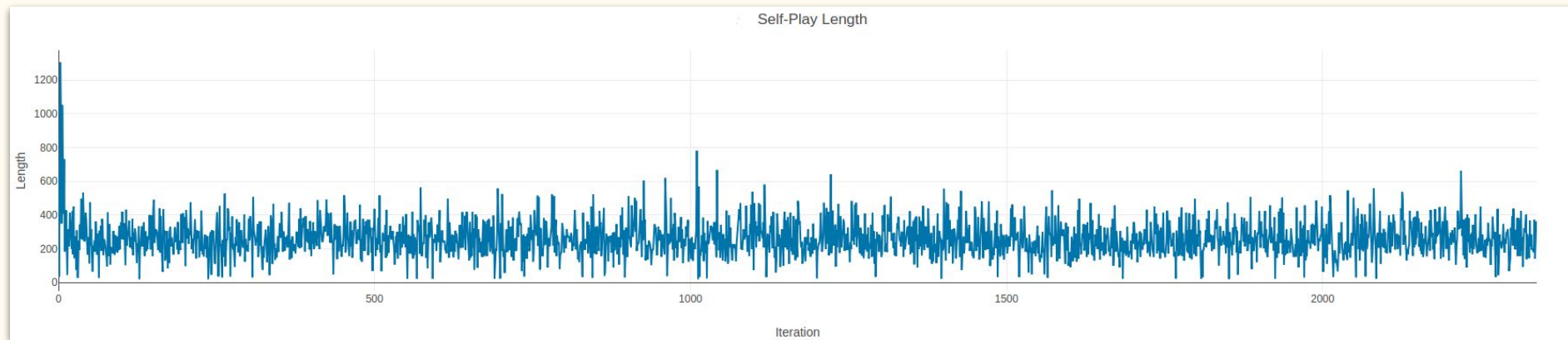
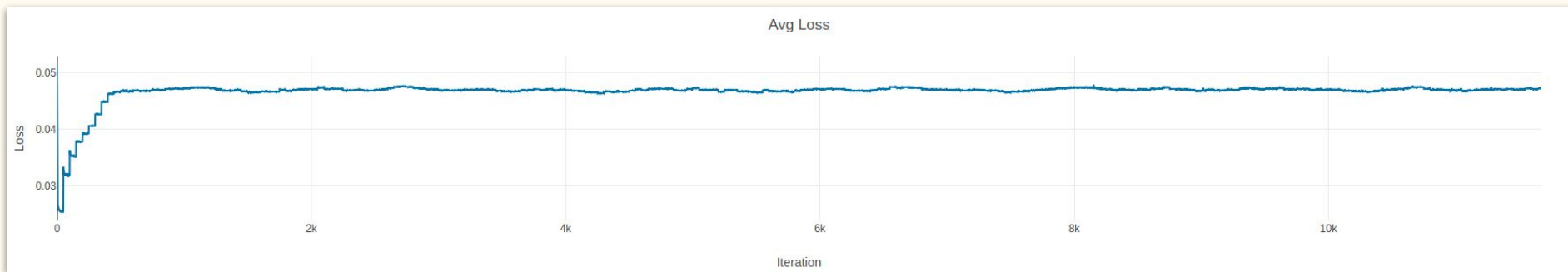


# Training

<b>Param</b>	<b>Value</b>	<b>Param</b>	<b>Value</b>
<b>CPU</b>	Intel E3-1231 v3	<b>Learning Rate</b>	0.01
<b>GPU</b>	Nvidia GTX 1070	<b>Self Play Time</b>	10
<b>Training Time</b>	3 days	<b>Number of Epochs per Iteration</b>	50
<b>Simulation Per Time</b>	20	$c_{\text{puct}}$	0.1



# Training



DEMO TIME ~

# Conclusion



# Conclusion

- AlphaGo Zero is a efficient yet time-consuming reinforcement learning algorithm for games with complete information
- Parameter selection is not obvious
- The time of simulation is crucial to get a good model

<https://github.com/Tong-ZHAO/AlphaDraughts-Zero>

*Thank You!*